

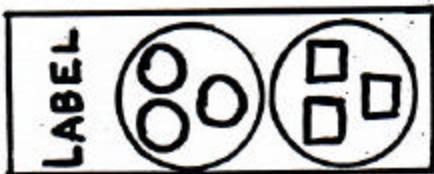
Dosimetry Inside the CDF Tracking Volume

Goal: Use thermoluminescent dosimeters (TLDs) to measure the radiation field in the CDF tracking volume.

- ⇒ Correlate information w/ beam
- ⇒ Predict radiation damage to inner devices.

Implementation:

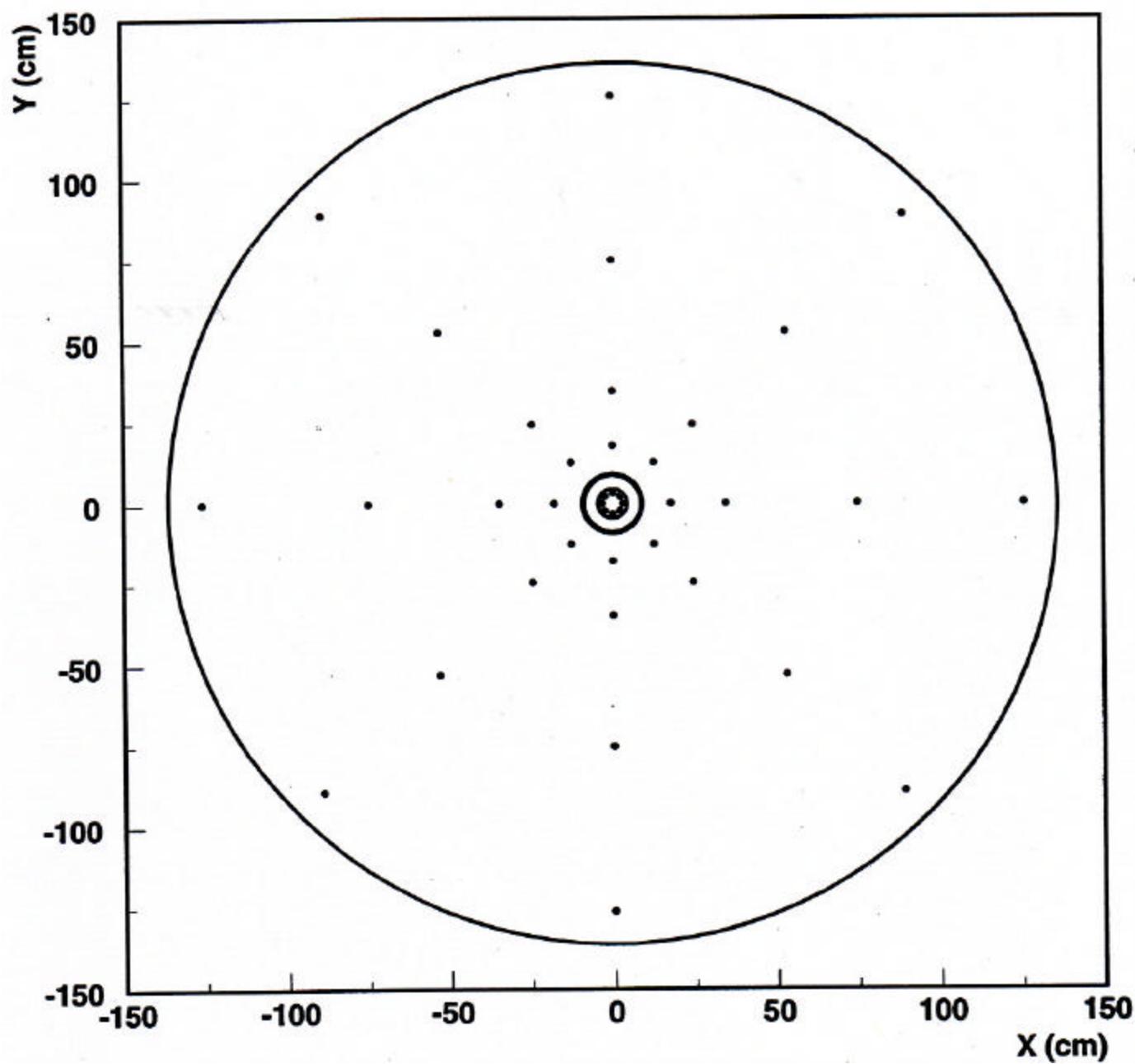
- 2 types of TLDs measure γ , $\gamma+n$ doses
- Response variation < 3%
- 145 locations on plug faces, SVX, ISL spacetubes



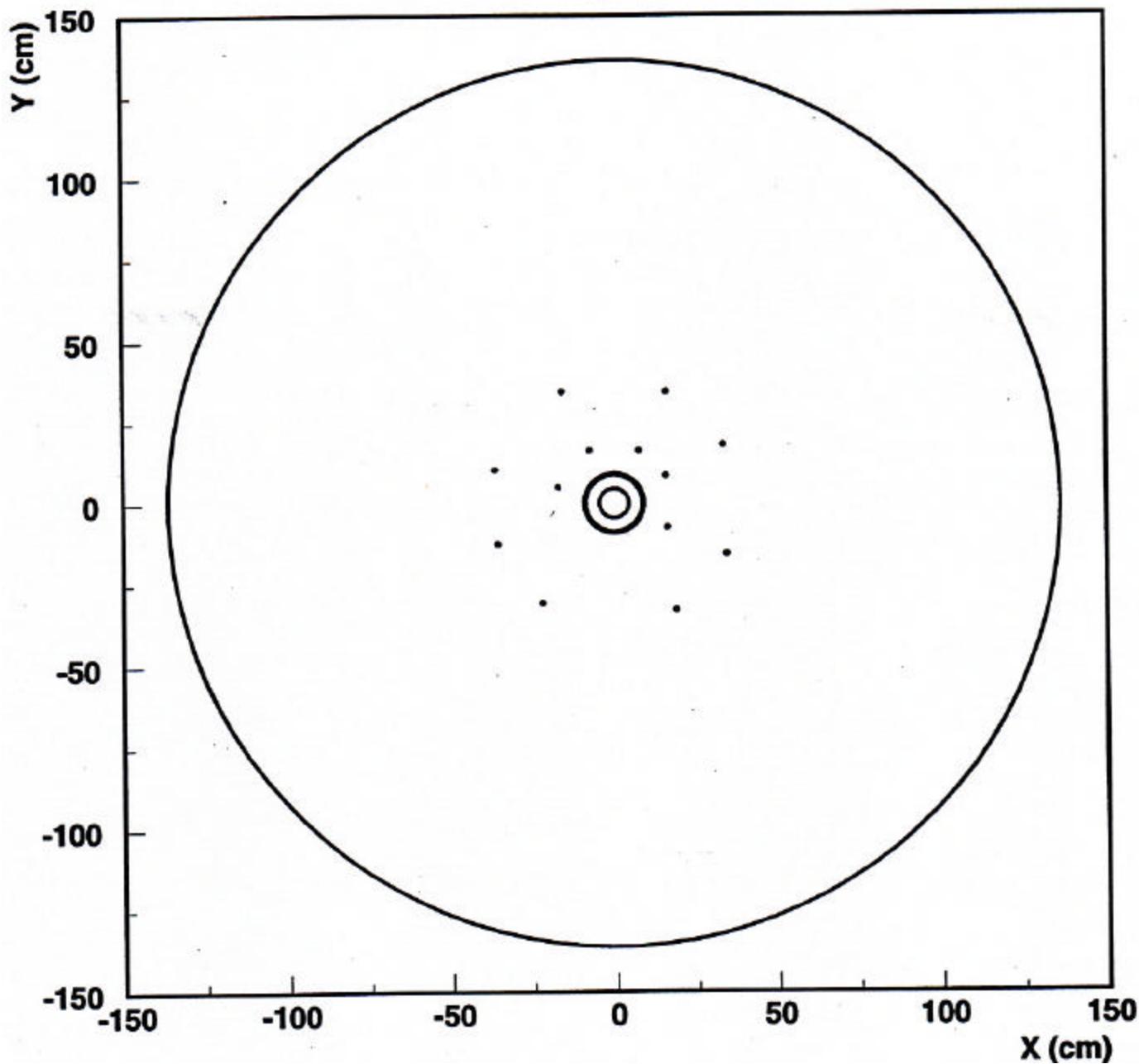
Status: Work in progress!

- + 2 exposures Feb-May May-Oct.
- + All readings in hand
- No neutron calibration
 - ⇒ Only γ measurements now

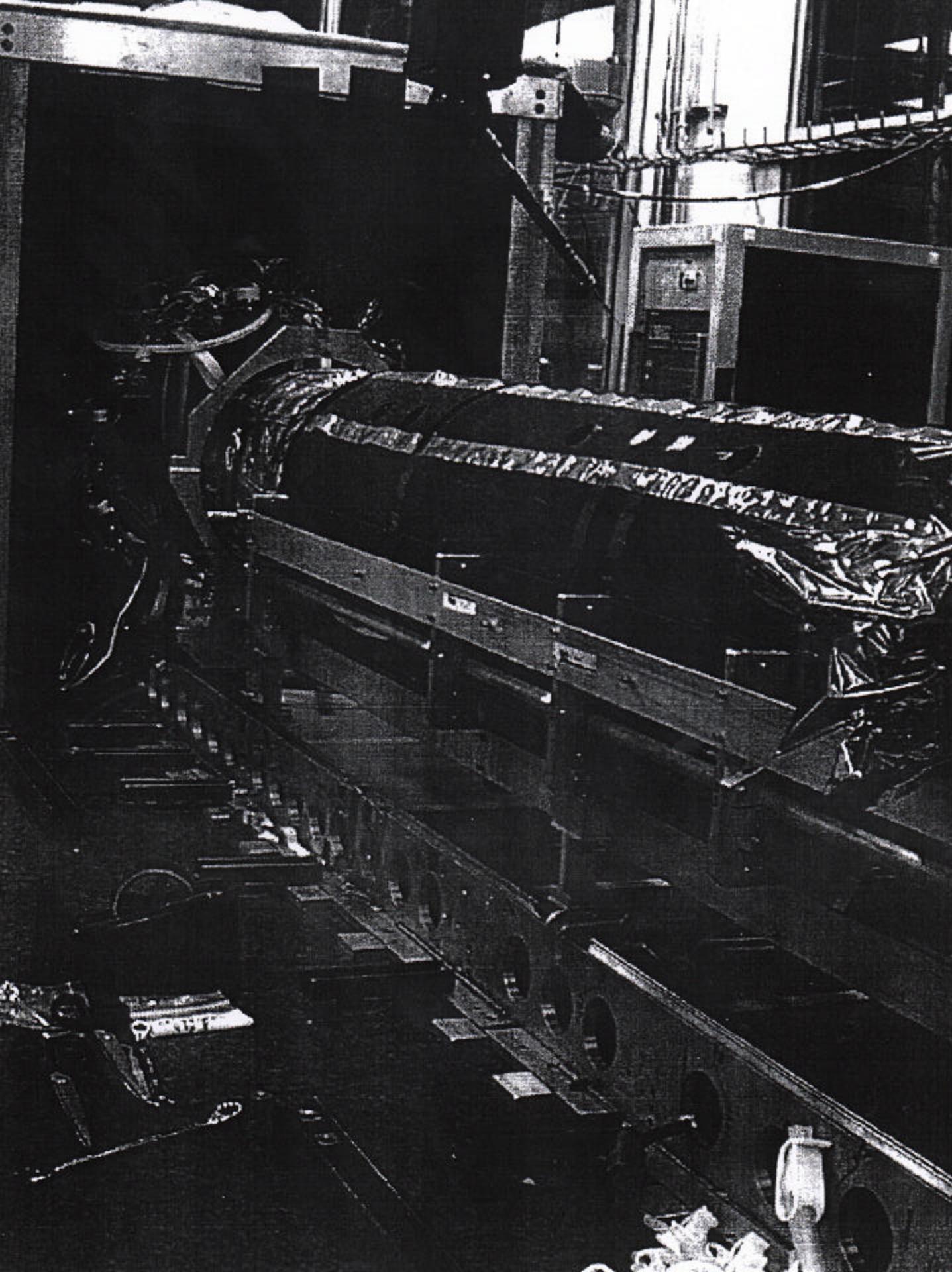
West Plug



SVX/ISL Space Tubes







Calibration + Dosimetry

- All dosimeters of each type from a single batch
- All dosimeters γ response calibrated w/ 1 Rad exposure to ^{137}Cs source.
 - + Reproducibility $< 1\%$ variation
 - + Absolute scale $\approx 1\%$ uncertainty
 - + Uncalibrated response variation $\approx 3\%$

Dosimetry

k = 1 Rad response (Rad/nC)

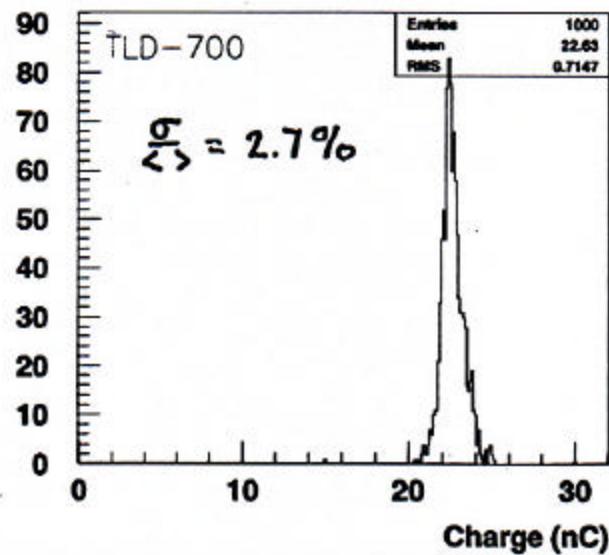
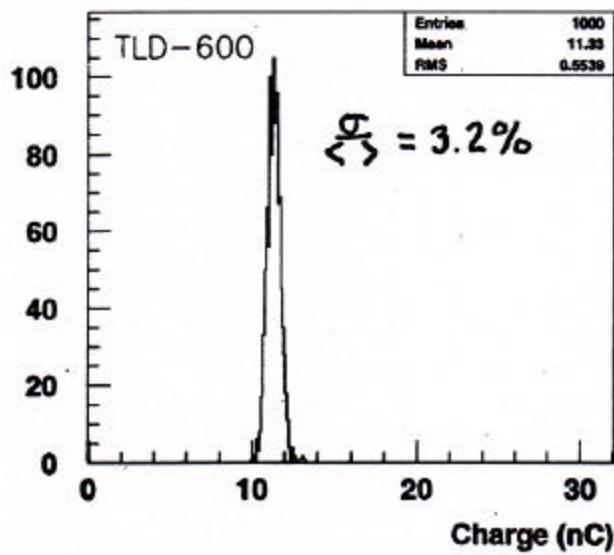
R = TLD reading (nC)

C = Non-linearity correction

D_c = Control Dose (Rad)

$$D = R * k * C(R * k) - D_c \quad (\text{Rad})$$

1 Rad TLD response



TLD Linearity

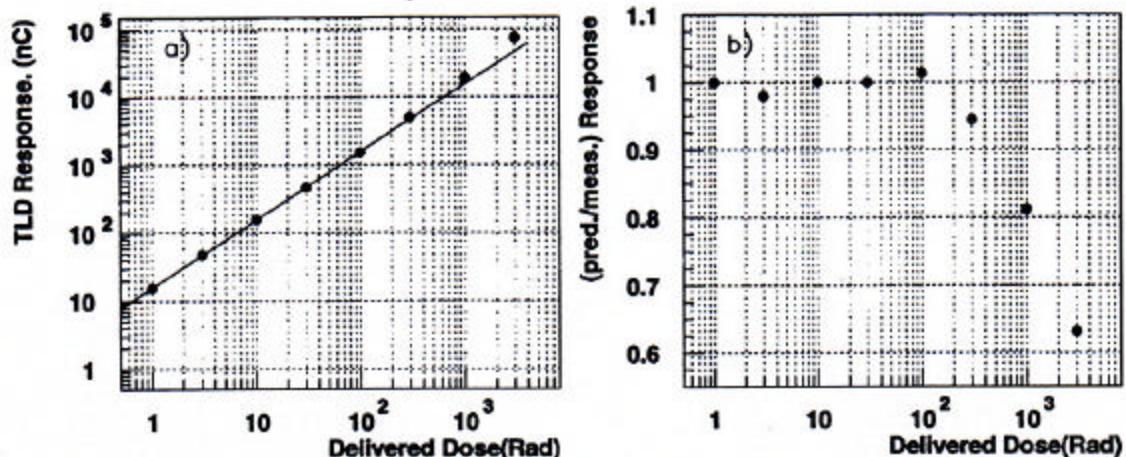


Figure 5: a) TLD-700 response measured in nC as a function of delivered dose. The line indicates the response predicted assuming a linear response model described in the text. b) Ratio of TLD-700 predicted/measured response as a function of delivered dose. The predicted dose assumes the linear response model described in the text.

TLD Linearity Correction

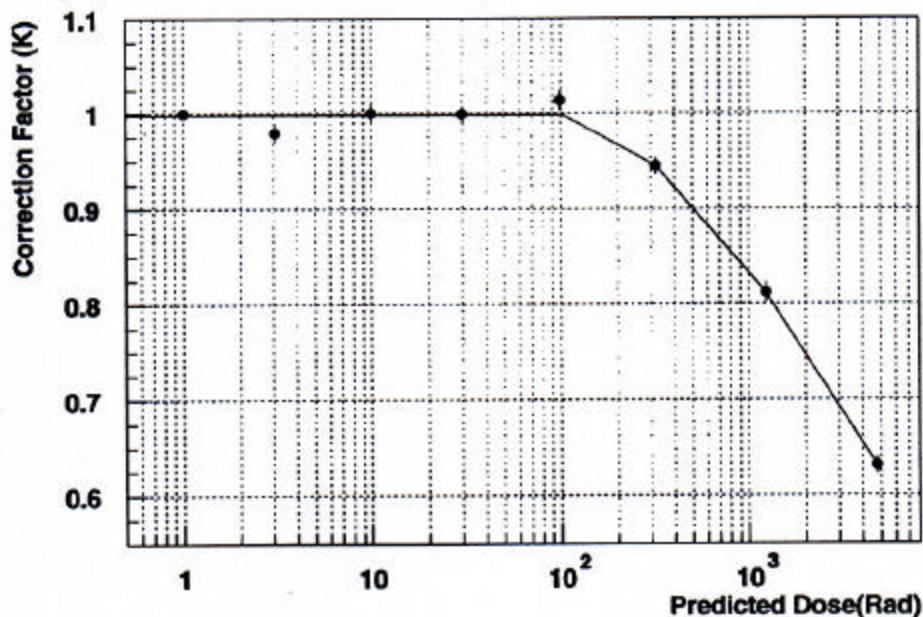


Figure 6: Linearity correction factor (K) as a function of the dose predicted assuming a linear TLD response model. The solid curve shows the factor used to correct the raw TLD data.

Exposure Statistics

	Feb - May	May - Oct	units
protons	0.0703	1.56	10^{19}
antiprotons	0.0082	0.137	10^{19}
* p-losses	15.3	40.9	10^9 counts
* \bar{p} -losses	2.02	10.2	10^9 counts
Luminosity	0.058	10.7	pb^{-1}

* $B\emptyset ALOS$ and $B\emptyset PLOS$ were used for these measurements

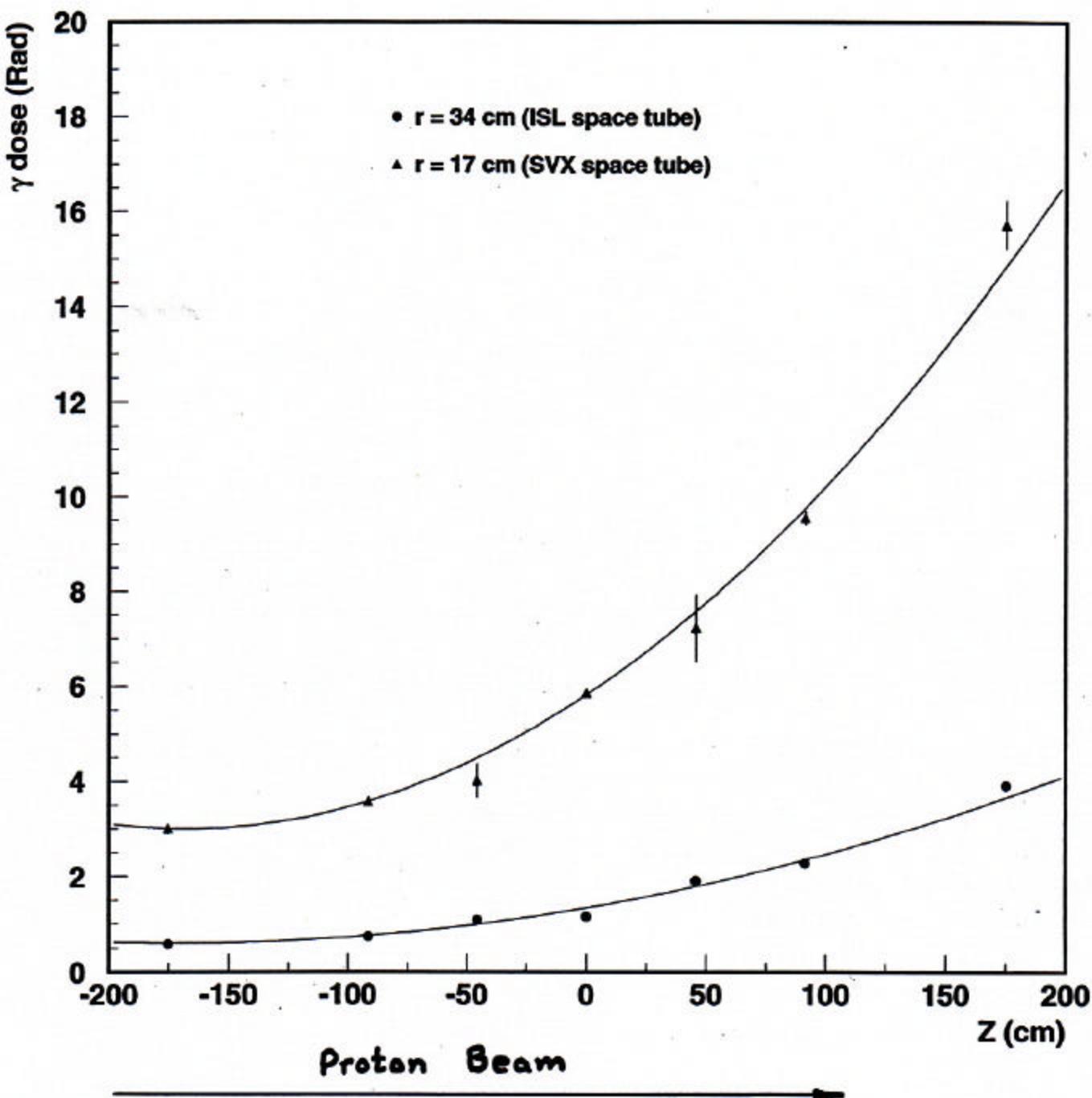
Beam Loss Monitors (BLM):

	Feb - May		May - Oct		units = Rad
	Inner	Outer	Inner	Outer	
East	241	224	286	305	
West	7.0	6.1	85.9	14.0	

- + Feb-May exposure loss dominated
- + May-Oct. exposure collision dominated
- BLMs insensitive to collisions

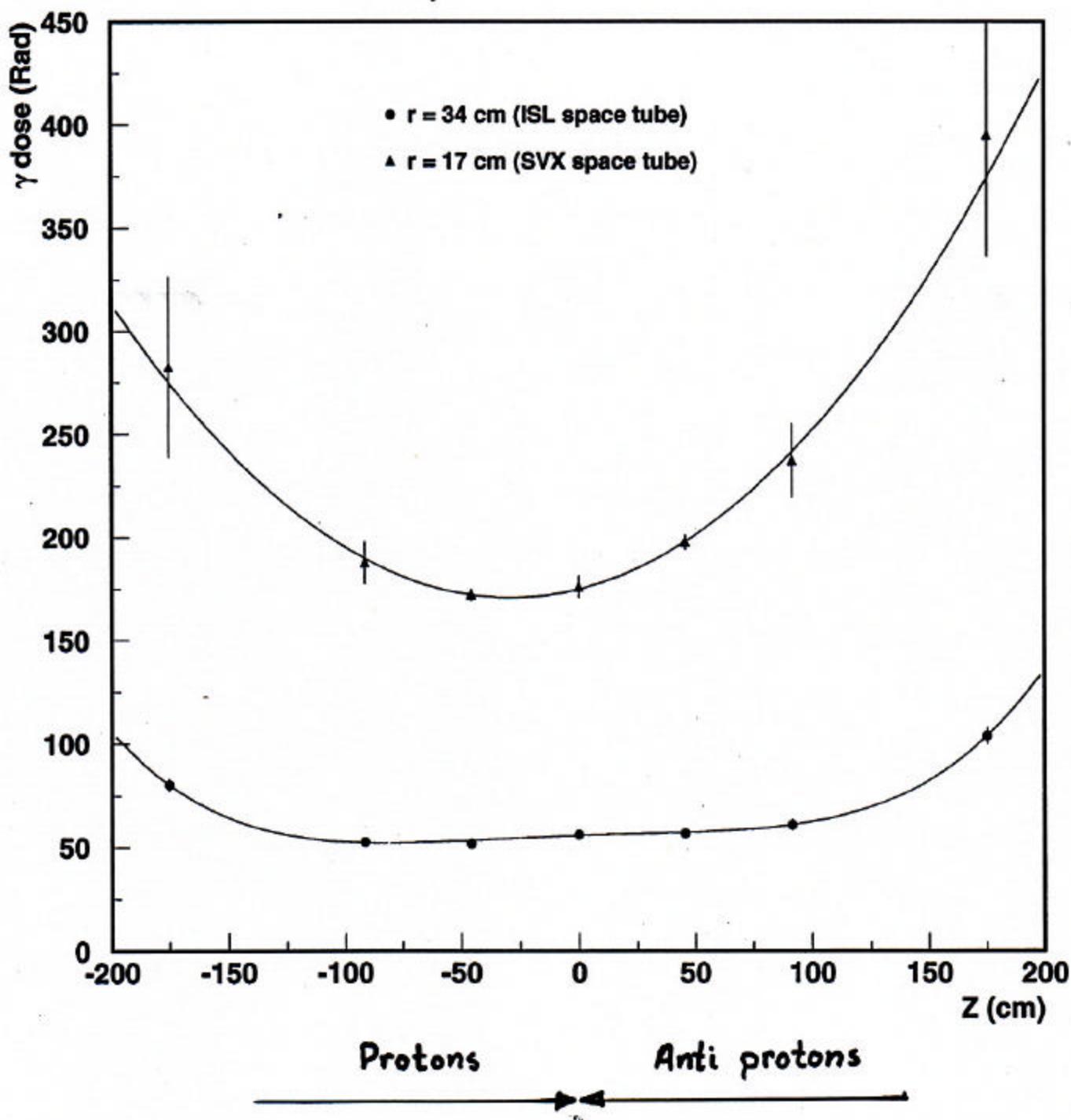
2001/09/26 10.42

Feb. - May Data



2001/10/25 20.35

May - Oct. Data



Separating Collisions and Losses

Motivation:

- Dose different for collisions/losses
- Collisions should dominate losses even more in the future.

⇒ Better predictions of radiation field.

Method: Simple model:

$$D_1 = L_1 d_L + C_1 d_c$$

$$D_2 = L_2 d_L + C_2 d_c$$

L_i - measured losses

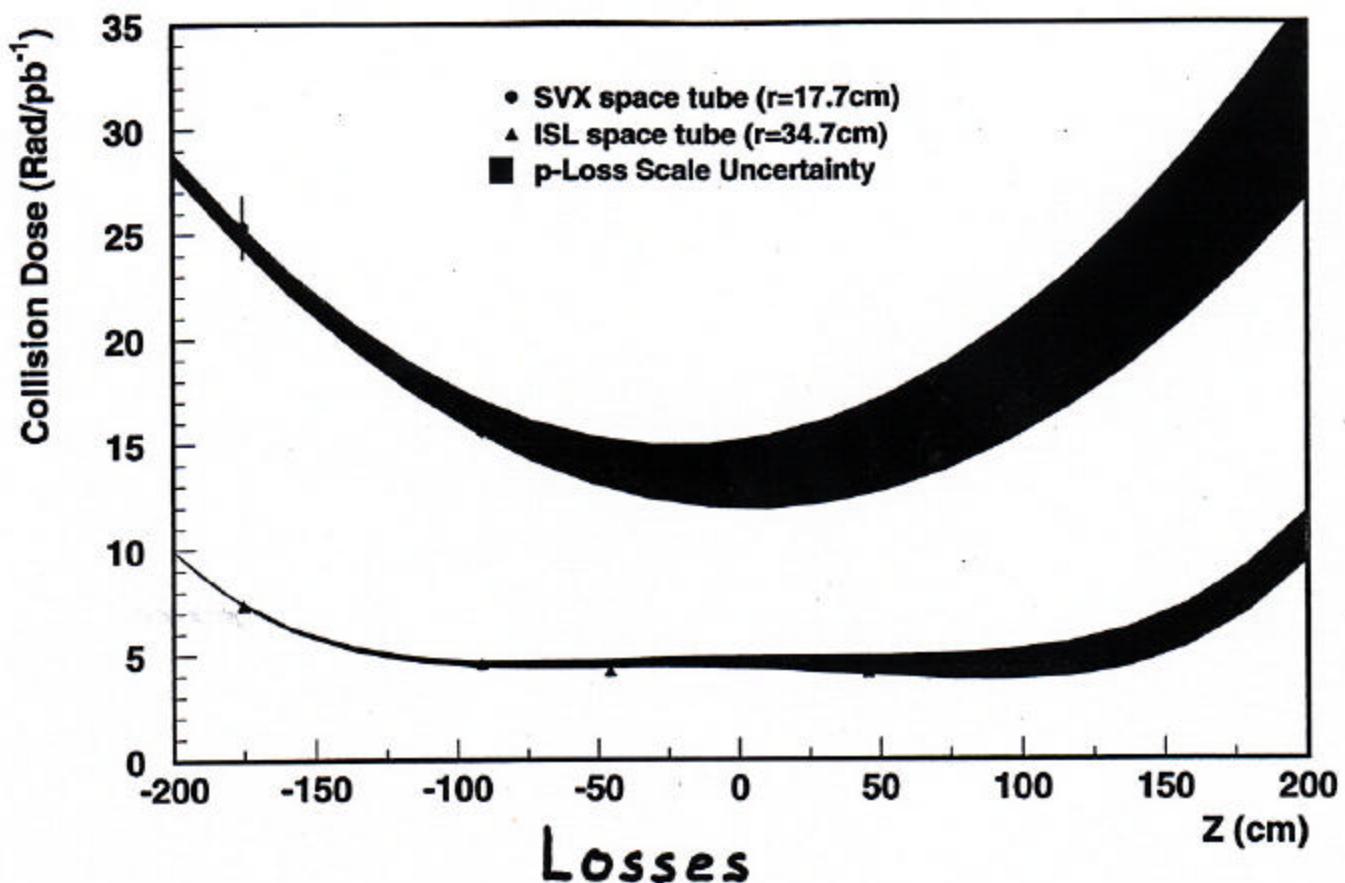
C_i - measured collisions (luminosity)

d_L - dose/unit losses

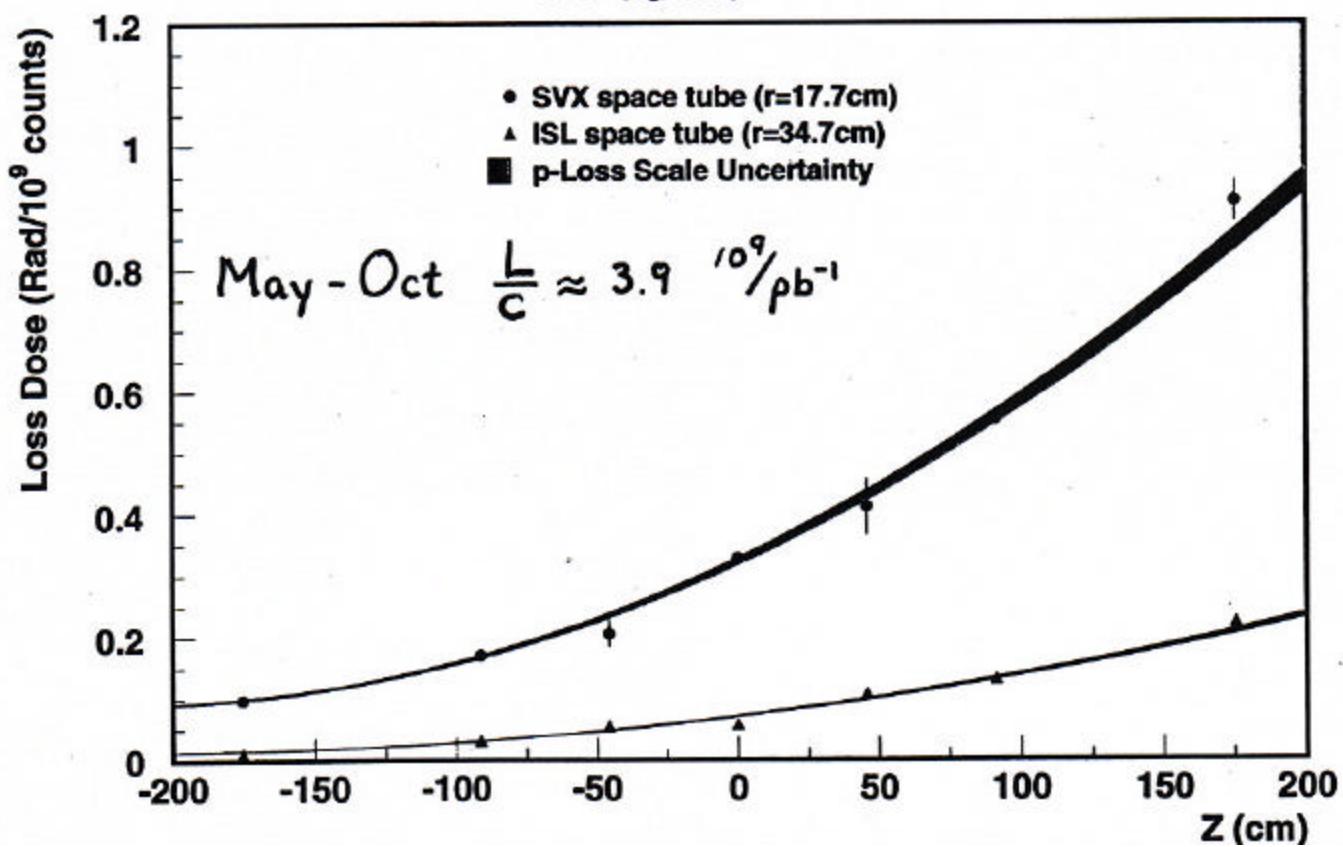
d_c - dose/unit luminosity

Solve for d_L and d_c .

Collisions



Losses



Modelling:

Use previous experience to build a simple model of the radiation field. *

Assumptions:

- Radiation has cylindrical symmetry about the beam.
- Field follows a power law in $1/r$.

Fit the data to the following form:

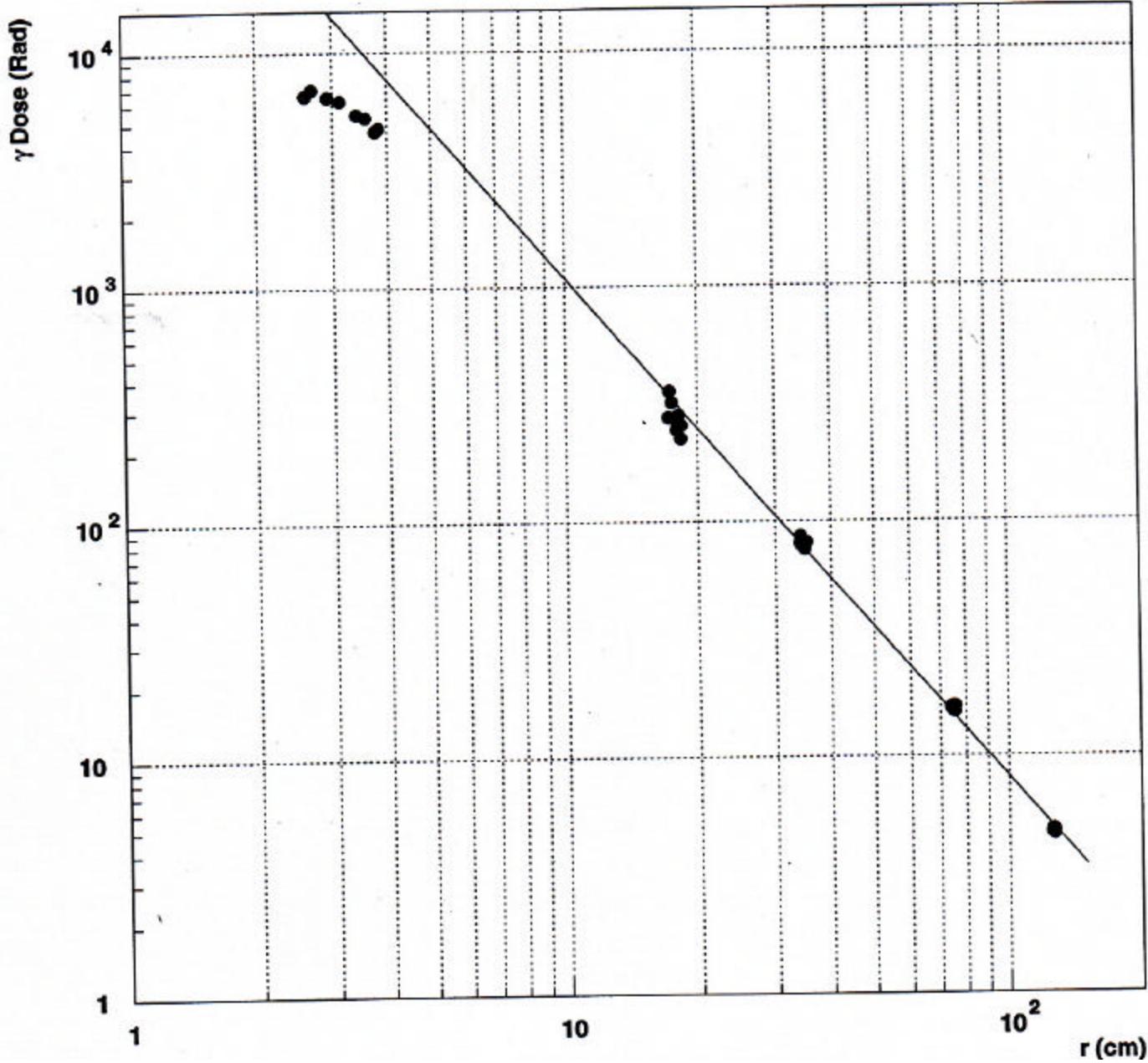
$$D = A * \{ (x - x_0)^2 + (y - y_0)^2 \}^{-\alpha/2}$$

$D(x,y)$	Radiation dose
A	Absolute normalization
(x_0, y_0)	Beam position offset relative to TLD locations.
α	Power law exponent.

Note: Run I radiation damage profile $\alpha = 1.6 - 1.7$
Commissioning run dosimetry $\alpha = 1.2$

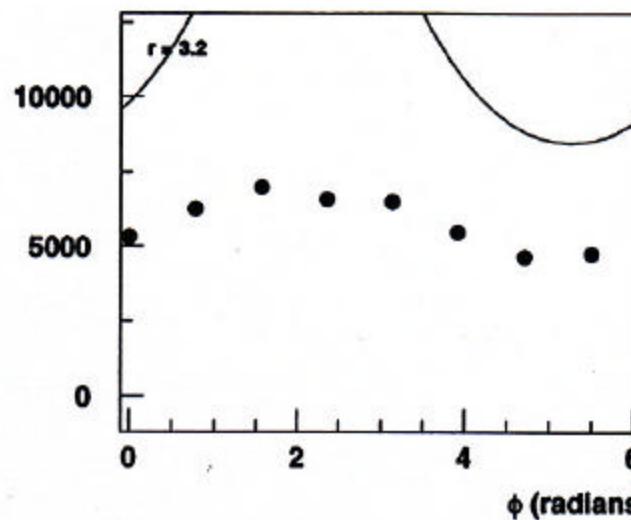
* D. Amidei, et al., NIM A320 (1994) 73.

West Plug

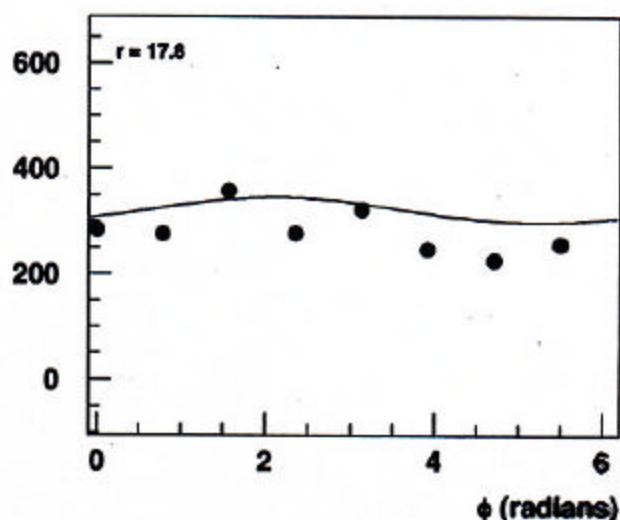


West Plug

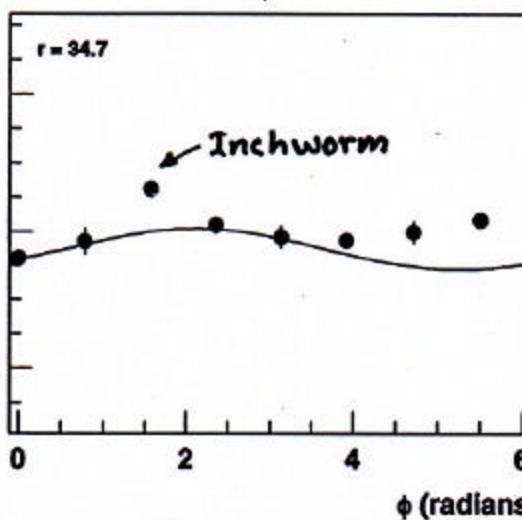
Dose (Rad)



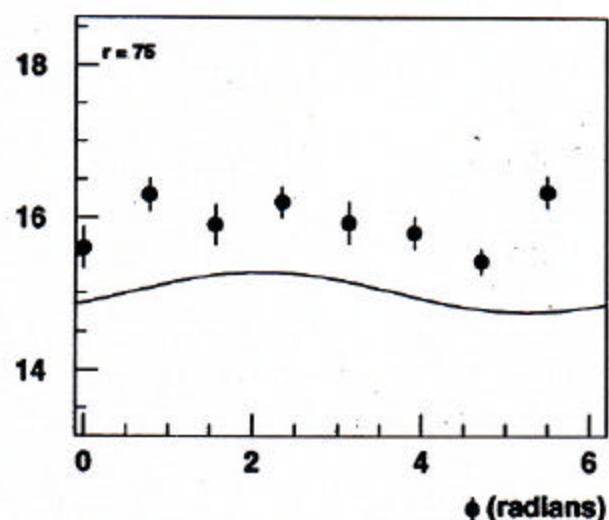
Dose (Rad)



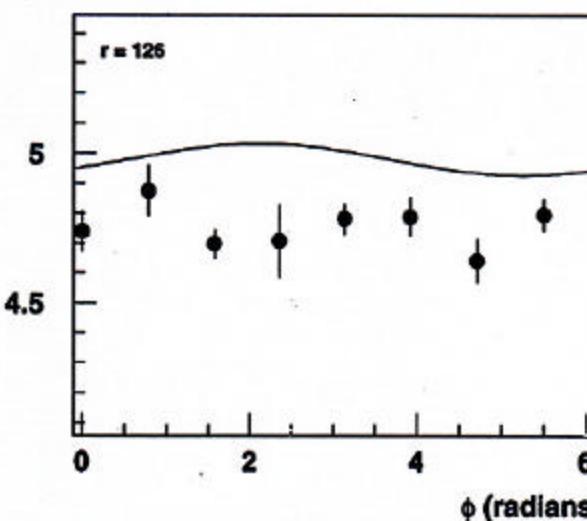
Dose (Rad)



Dose (Rad)



Dose (Rad)

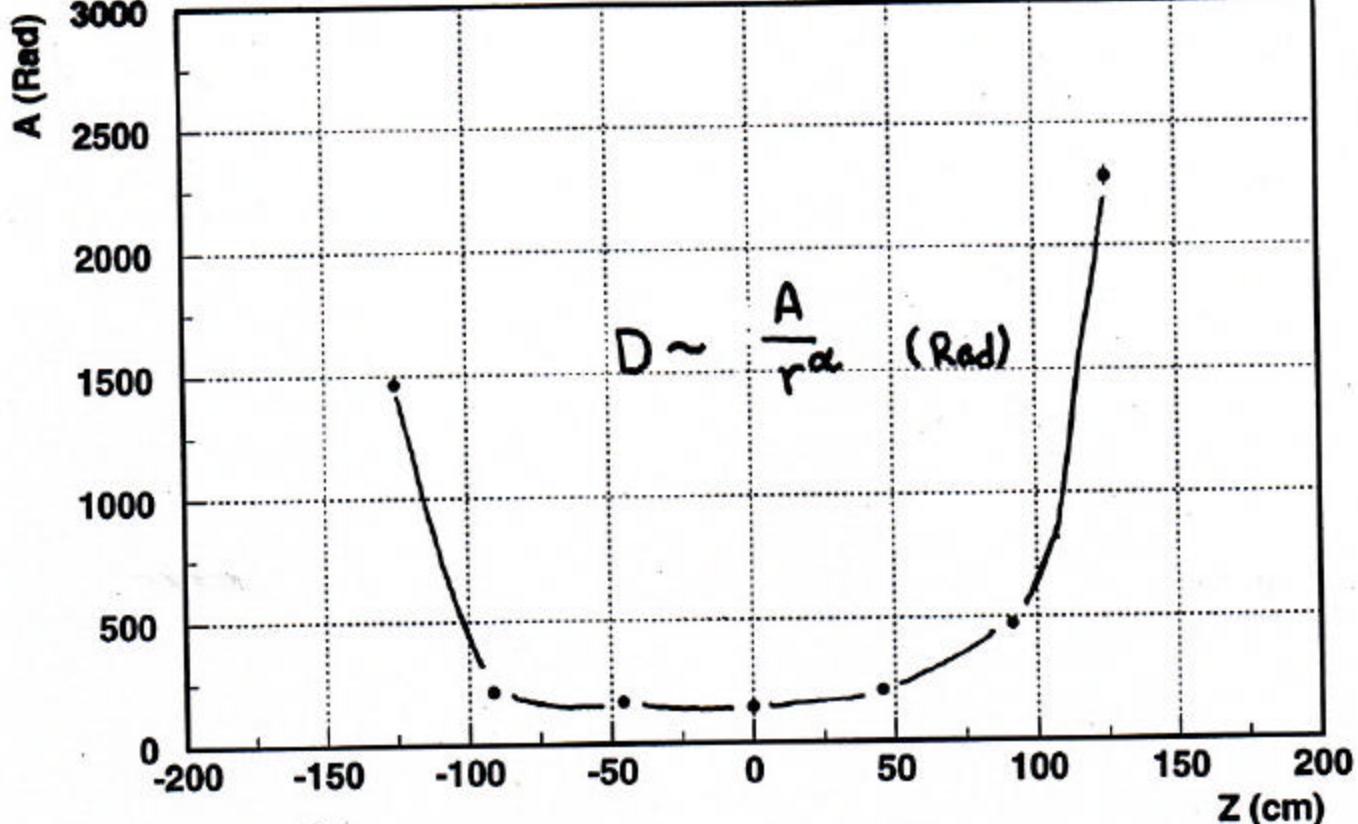


$$D = A((x-x_0)^2 + (y-y_0)^2)^{-\alpha/2}$$

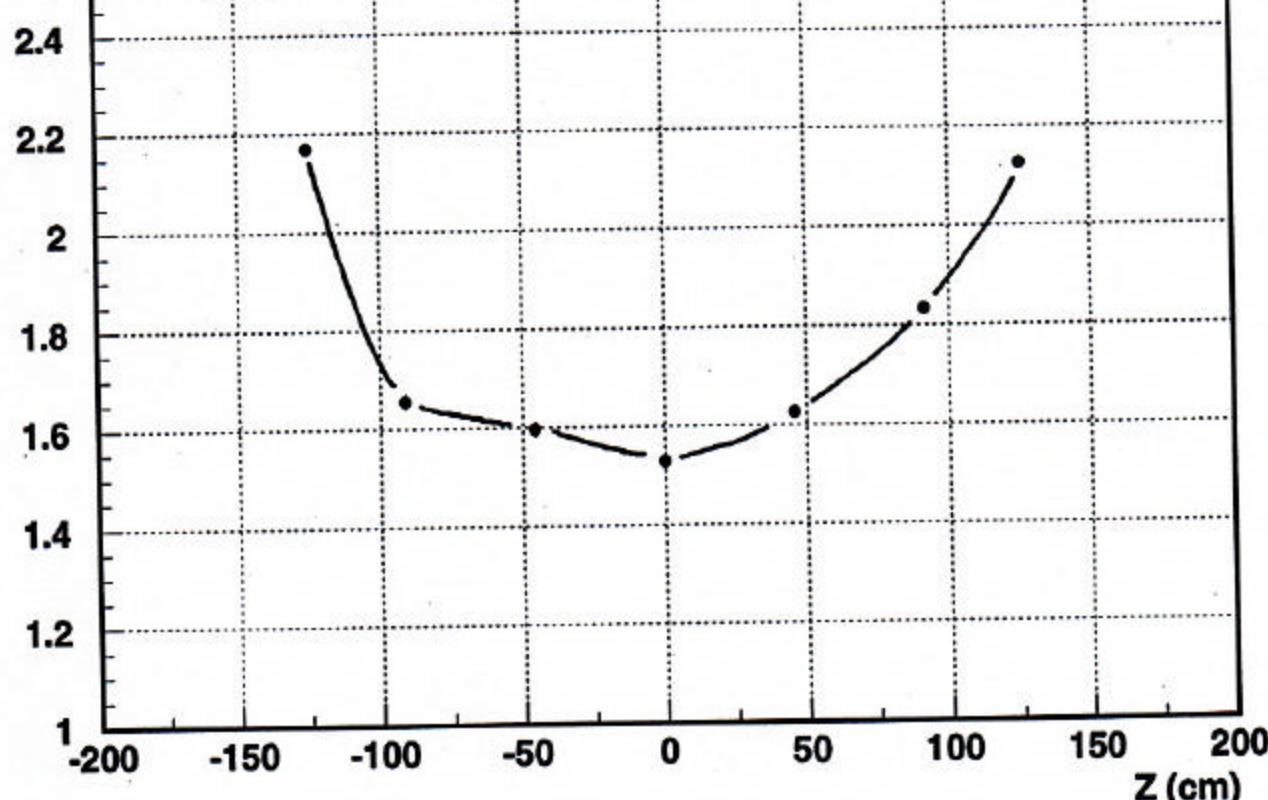
A	146500 ± 2500 Rad
α	2.2175 ± 0.0049
x_0	-0.324 ± 0.077 cm
y_0	0.531 ± 0.070 cm
χ^2/DOF	732.7/28

$\times 10^2$

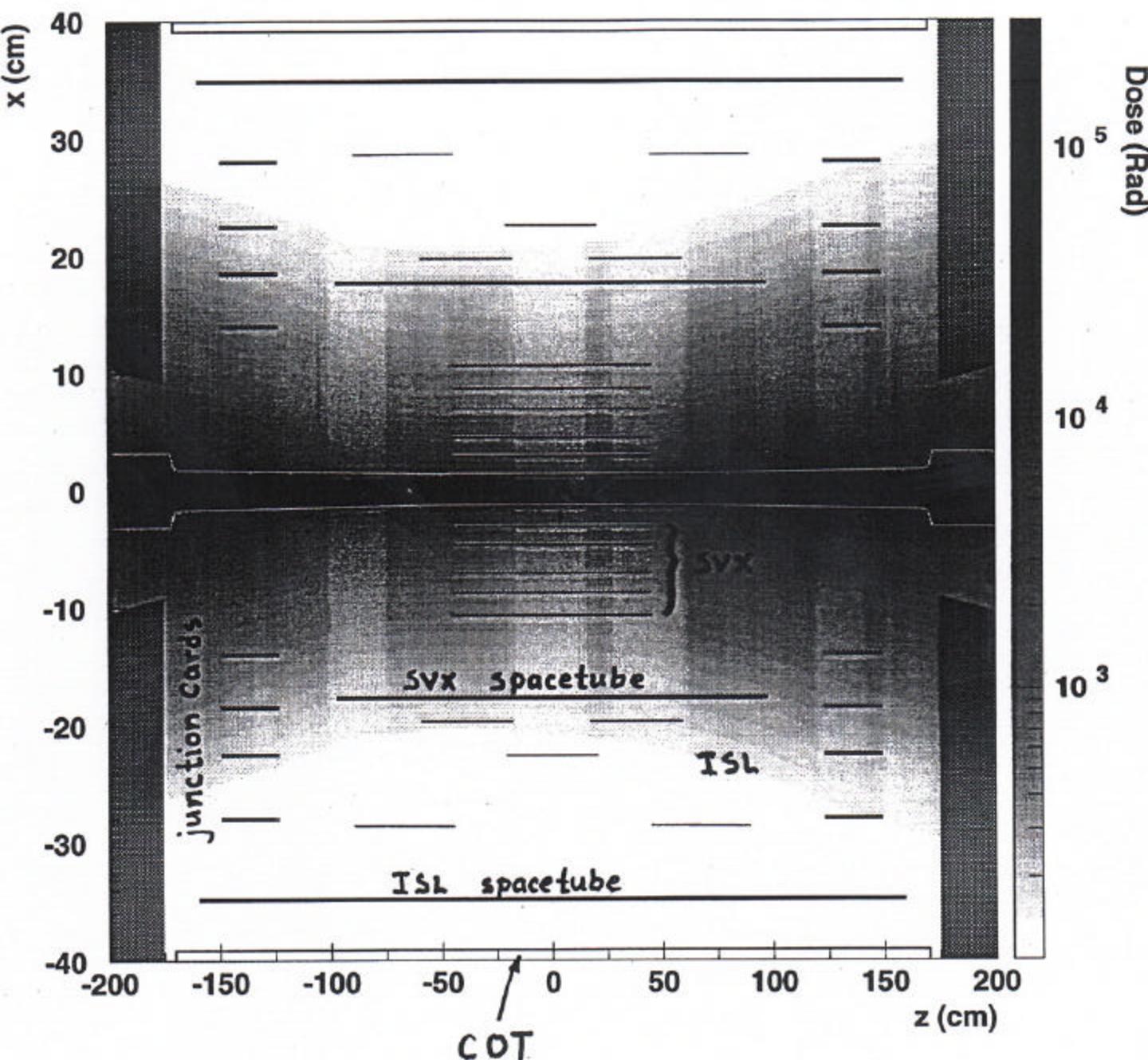
May - Oct. Fit Results



α



Ionizing Radiation Map.



Summary:

- All TLD data from 2 exposures in hand.
- Initial analysis of γ dosimetry.
 - + Feb - May loss dominated
 - + May - Oct. collision dominated
 - BLMs insensitive to collisions
- Preliminary results
 - + Separate contributions from losses and collisions

Using a power law in $1/r$ for radial dependence

$$D \approx \frac{A}{r^\alpha}$$

- + Exponent behavior $1.5 < \alpha < 2.1$
(observed Z dependence for α)
- + Preliminary dose @ LD ($r=3\text{ cm}$) $\sim 3\text{ kRad}$